

Efficient Verification of Multi-Property Designs (the benefit of wrong assumptions)

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Outline

- Motivation and problem definition
- “Just-assume” verification
- Experimental results
- Conclusions

Motivation

- Main bulk of research: **single property verification**
- A design can have thousands of properties
- A hard property \Rightarrow conjunction of easier properties



Need for efficient methods of **multiple-property verification**

Problem Definition

- Given sequential circuit and *safety properties* P_1, \dots, P_k
 - check if every P_i is true
 - if some P_i fails \Rightarrow design *is incorrect*
- *How many* failed properties does one need to find?
 - **Straightforward approach:**
 - find *every failed property* P_i
 - a flaw: same bug can break *many properties*
 - We take a **more practical approach:**
 - find a (small) subset of failed properties *identifying bugs*

Joint and Separate Verification

- **Joint verification**: check *aggregate property* $P := P_1 \wedge \dots \wedge P_k$
 - design is correct iff P holds
- **Separate verification**: prove each P_i separately
 - P_i is weaker than $P \Rightarrow$ it should be *easier to prove*
 - different properties can have *quite different proofs*
 - inductive invariant for P_i *can be re-used* when proving P_m
- **“Just-assume” verification**: an instance of separate verification
 - verify P_i assuming that every P_m , $m \neq i$ holds
 - no justification of assumptions is necessary, hence the name

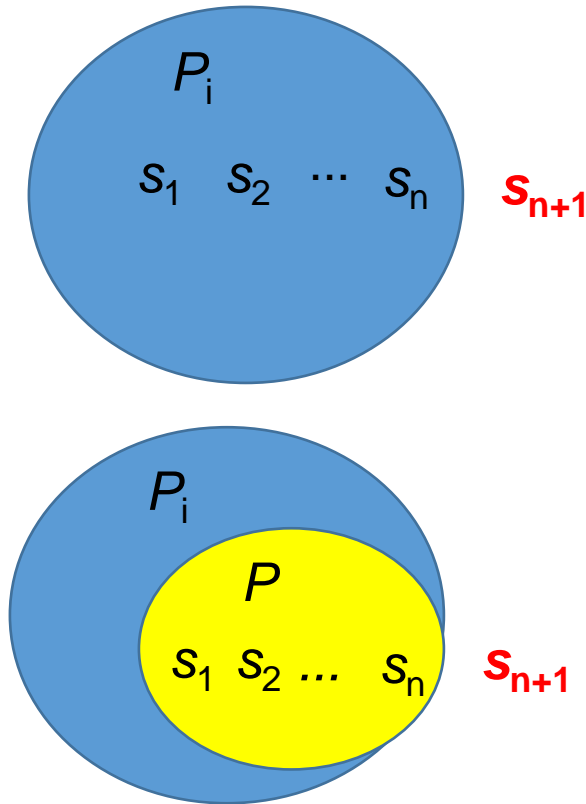
Background

- Using *design structure* to group similar properties
 - G.Cabodi, S.Nocco (DATE 2011)
 - P. Camurati, C. Loiacono, P. Pasini, D. Patti, S. Quer (DIFTS 2014)
 - G. Cabodi, P.E. Camurati, C. Loiacono, M. Palena, P. Pasini, D. Patti, S. Quer (Int J Software Tool Tech Tran, 2017)
- On-line information on multi-property verification by ABC
 - ABC implements joint verification
- HWMCC results, multi-track (up to 2013)

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Proving Properties Globally and Locally



Proving P_i **globally**:

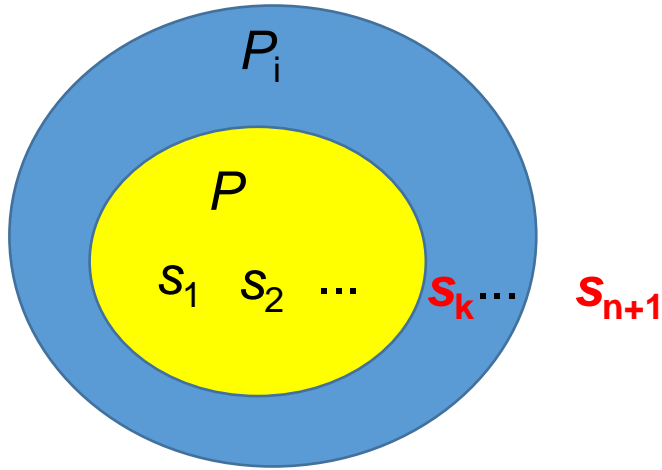
no CEX s_1, \dots, s_n, s_{n+1} where s_1, \dots, s_n are **P_i -states** and s_{n+1} is $\sim P_i$ state

Proving P_i **locally**: (w.r.t $P := P_1 \wedge \dots \wedge P_k$)

no CEX s_1, \dots, s_n, s_{n+1} where s_1, \dots, s_n are **P -states** and s_{n+1} is $\sim P_i$ state

Proving P_i locally means assuming that *every $P_m, m \neq i$ holds*

Relation Between Global and Local Proofs



s_k is P_i -state and $\sim P$ -state
 s_k breaks some property P_m

If P_i holds **globally** it does locally too

The opposite is not true

If P_i holds **locally** it either

- holds globally OR
- every CEX breaking P_i first breaks P_m

Advantage of Verifying Properties Locally

- Proving P_i locally **is easier than P**
 - *proving P* : can one reach $\sim P$ -state by transitions from P -states ?
 - *proving P_i locally*: can one reach $\sim P_i$ -state by transitions from P -states ?
 - the $\sim P_i$ -states is a *subset* of the $\sim P$ -states
- If P_i **holds locally**, it is most likely *not a bug-identifying property*
 - even if P_i fails globally, some property P_m fails before P_i
- If P_i **fails locally**, it is a *bug-identifying property*
 - there is a CEX where P_i is the first to fail
- If P fails \Rightarrow at least one P_i fails **locally** (and hence globally)

Example

```
module counter (enable, clk, request);
  parameter reset_val = 1 << 7;
  input enable, clk, request;
  reg [7:0] val ;
  wire reset ;
  initial val = 0;
  assign reset = (( val == reset_val ) && request);
  always @( posedge clk ) begin
    if ( enable ) begin
      if (reset ) val = 0;
      else val = val +1;
    end
  end
endmodule
```

P_1 : assert property (request == 1);
 P_2 : assert property (val <= reset_val);

Both P_1 and P_2 fail globally

Consider proving P_1 and P_2 locally
with respect to P : = $P_1 \wedge P_2$

P_1 fails locally (i.e. assuming P_2 is true)

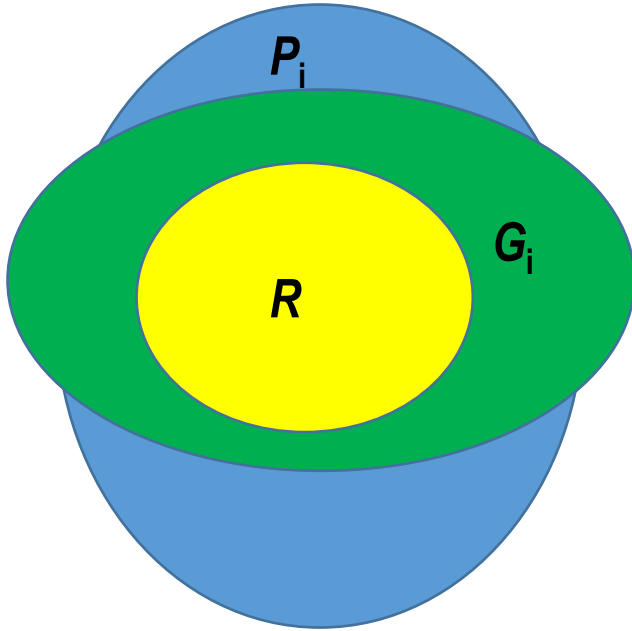
P_2 holds locally (i.e. assuming P_1 is true)

“Just-Assume” (Ja) Verification

- Check every property P_i **locally**
 - i.e. we assume that every P_m , $m \neq i$ holds
- If every P_i holds locally \Rightarrow aggregate **property P holds**
otherwise
- Properties failing locally identify **bugs**

- *No justification* of assumptions is required
- When proving P_i locally
 - assumption “ P_m holds” is useful *even if it is wrong*:
 - we simply drop traces where P_m fails before P_i

Re-using Inductive Invariants



Let R be the set of *reachable states*

Proving P_i by induction:

Find strengthening G_i such that
 $P_i \wedge G_i$ is an inductive invariant

Both P_i and G_i *over-approximate* R

Let G_1, \dots, G_i be strengthenings for P_1, \dots, P_i

Proving $P_{i+1} \Rightarrow$ proving $G_1 \wedge \dots \wedge G_i \wedge P_{i+1}$

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Implementation of Ja-Verification

- In experiments, we used IC3-db, a **Diffblue version** of IC3
- To prove P_i locally, IC3-db treats P_m , $m \neq i$ as *constraints*
- Ja-verification was implemented as a Perl script
 - IC3-db is called in a loop to prove properties locally one by one
- Order in which properties are verified *matters*
 - the reason is re-using of inductive invariants
 - *a rule of thumb*: prove easy properties first
 - re-use inductive invariants when proving harder properties
- We verified P_1, \dots, P_k **in the order they were listed**

Implementation of Joint Verification

- We also used IC3-db to implement joint verification
 - as a Perl script iteratively calling IC3-db
- Implementation is meant for solving **all properties globally**
- The script first calls IC3-db to check $P := P_1 \wedge \dots \wedge P_k$
 - If P holds, all properties P_i are true
otherwise
 - false properties are removed, remaining properties are conjoined
- We cross-checked results of IC3-db by **ABC** (UC, Berkeley)
 - Joint verification is a natural mode of operation for ABC

Comparison of Joint and Ja-verification

- Joint verification is **less robust** than separate verification
- Complexity of proving $P := P_1 \wedge \dots \wedge P_k$ *blows up*
 - if a few properties P_i are *too hard to solve*
 - properties P_i depend on *different local behaviors*
- This problem can be solved by *clustering* similar properties
 - we want to make a *semantic comparison*
- We used **HWMCC-13** benchmarks
 - *correct designs*: 8 designs solved by joint verification without clustering (under 1000 properties each)
 - *faulty designs*: 8 designs where at least one property was *proved false*

Designs with Failed Properties

Name	#latches	#properties	Joint verification				Ja-verification by IC3-db		
			ABC		IC3-db		time limit	false (tr)	total time
			false (tr)	time	false (tr)	time			
6s104	84,925	124	1 (0)	10 h	1 (0)	memout	0.3 h	1 (123)*	2.5 h
6s260	2,179	35	1 (0)	10 h	1 (0)	10 h	0.5 h	1 (34)*	1,686 s
6s258	1,790	80	25 (0)	10 h	30(0)	10 h	0.3 h	1 (72)	2.4 h
6s175	7,415	3	2 (0)	10 h	2 (0)	10 h	0.3 h	2 (1)*	554 s
6s207	3,012	33	6 (0)	10 h	10 (0)	10 h	0.3 h	2 (31)*	22 s
6s254	762	14	13 (1)*	25 s	13 (1)*	225 s	0.3 h	1 (13)*	2 s
6s335	1,658	61	26 (35)*	2 h	26 (35)*	260 s	0.3 h	20 (41)*	56 s
6s380	5,606	897	399 (0)	10 h	395 (0)	10h	0.3 h	3 (894)*	550 s

Correct Designs

Name	#latches	#properties	Joint verification		Ja-verification by IC3-db		
			ABC time	IC3-db time	time limit	#unsolved	total time
6s124	6,748	630	> 10 h	2.9 h	0.8 h	0	1.9 h
6s135	2,307	340	123 s	335 s	0.8 h	0	746 s
6s139	16,230	120	4.7 h	1.7 h	2.8 h	2	6.5 h
6s256	3,141	5	> 10h	602 s	2.8 h	1	2.9 h
bob12m09	285	85	1,692 s	930 s	0.8 h	0	784 s
6s407	11,379	371	1.3 h	3.4 h	0.8 h	0	2,077 s
6s273	15,544	42	1.8 s	325 s	0.8 h	0	290 s
6s275	3,196	673	334 s	1,154 s	0.8 h	0	1,611 s

Conclusions

- We introduce “**Just-Assume**” (Ja) verification
 - it is a special case of separate verification
- We give a *semantic version* of Ja-verification
 - a structure-aware method can be built *on top of it*
- In Ja-verification, assumptions *do not need justification*
- CEXs are built only for failed properties *identifying bugs*
 - this can give big performance gains (finding CEXs can be very hard)
- Joint and Ja-verification are *competitive* on correct designs